

Solve:

$$x^2 + 10x - 10 = 16x + 6$$

$$x^2 + 10x - 16x - 10 - 6 = 0$$

$$x^2 - 6x - 16 = 0$$

$$(x + 2)(x - 8) = 0$$

$$x + 2 = 0$$

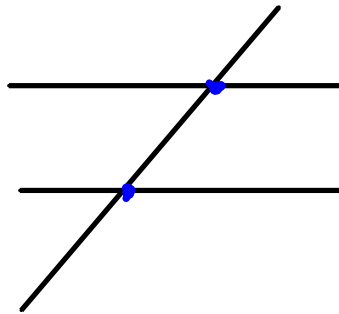
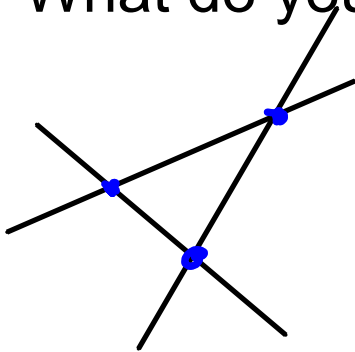
$$x = -2$$

$$x = -2$$

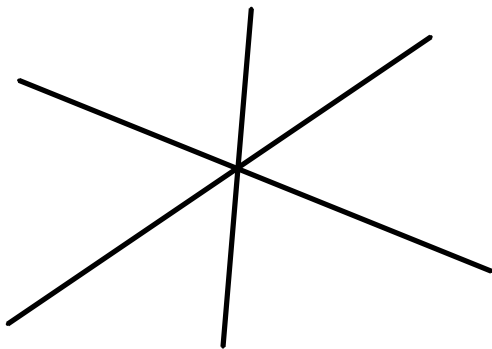
$$x = 8$$



What do you notice?

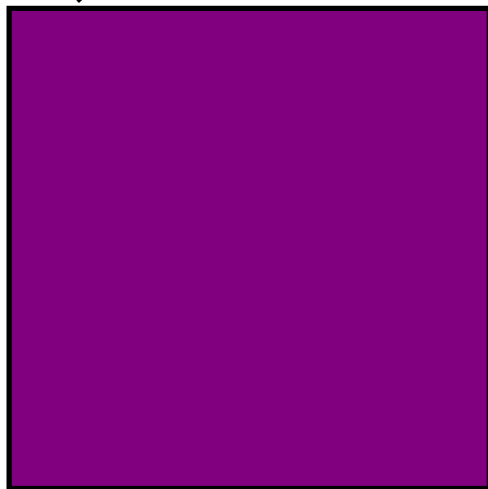


Not
concurrent




Concurrent

when a set of
lines has a point
in common



Investigation 3.8 on Geometer's Sketchpad

Angle Bisector Concurrency Conjecture: The three angle bisectors of a triangle meet at a point (are concurrent). 

Incenter: the point at which 3 angle bisectors of a triangle intersect.

Incenter Conjecture: the incenter is equidistant from the sides of a triangle

Possible locations of Incenter:



Perpendicular Bisector Concurrency Conjecture: The three perpendicular bisectors of a triangle are concurrent. 

Circumcenter: the point at which 3 perpendicular bisectors of a triangle meet

Circumcenter Conjecture: the circumcenter is equidistant from the vertices of a triangle

Possible locations of circumcenter:



Altitude Concurrency Conjecture: the three altitudes of a triangle 

Orthocenter: 

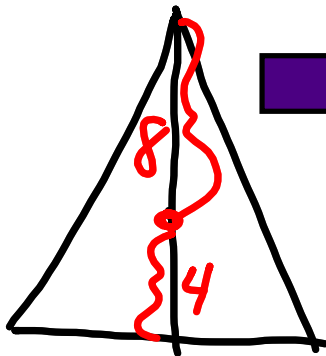
Possible locations of orthocenter:

Investigation 3.9 on Geometer's Sketchpad

Median Concurrency Conjecture: The three medians of a triangle are concurrent.

Centroid: The point of concurrency of the medians of a triangle

Centroid Conjecture: The centroid of a triangle divides each median into two parts so that the distance from the centroid to the vertex is **twice** the distance from the centroid to the midpoint on the opposite side.



Homework:

-Draw 4 acute triangles. In one triangle construct a circumcenter. In the second one, construct an incenter. In the third one, construct an orthocenter. In the last one, construct a centroid

